
Complexity Theory

Due date: July 7, 2014 before class!

Problem 1 (10 Points)

$\text{BPL} \subseteq \mathcal{P}$.

Problem 2 (10 Points)

Show the following two claims:

1. *Perfect soundness* collapses the class \mathbf{IP} to \mathcal{NP} , where perfect soundness means soundness with error probability 0.
2. *Perfect completeness* does not change the power of \mathbf{IP} , where perfect completeness means completeness with error probability 0.

Problem 3 (10 Points)

Show that $\mathbf{IP} \subseteq \mathbf{PSPACE}$.

Problem 4 (10 Points)

Give an interactive protocol to show that $\text{GRAPH ISOMORPHISM} \in \mathbf{IP}$.